



# MSE-422 – Advanced Metallurgy

Exercise 3: Ni alloys

FS 2024/25

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# Creep behavior

- Ni alloys used for high temperature applications (Gas turbines and jet engines)
  - Long-term creep resistance at  $T > 800^\circ\text{C}$  (service intervals 10'000-20'000 h)
  - Resistant against thermo-fatigue



/www.airbus.com/

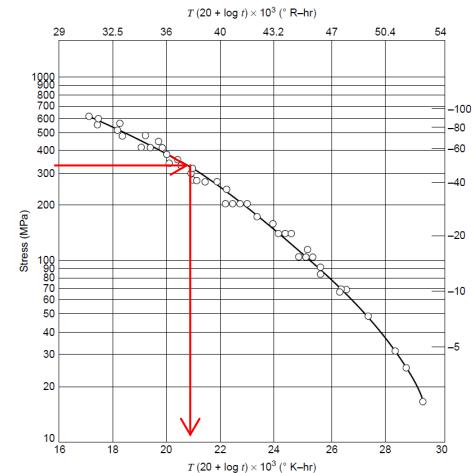
# Creep behavior

- Creep rupture tests at higher temperatures, comparable stress

- Shorter time periods
- Data extrapolation

Larson-Miller parameter  $LMP = T(C + \log(t))$ :

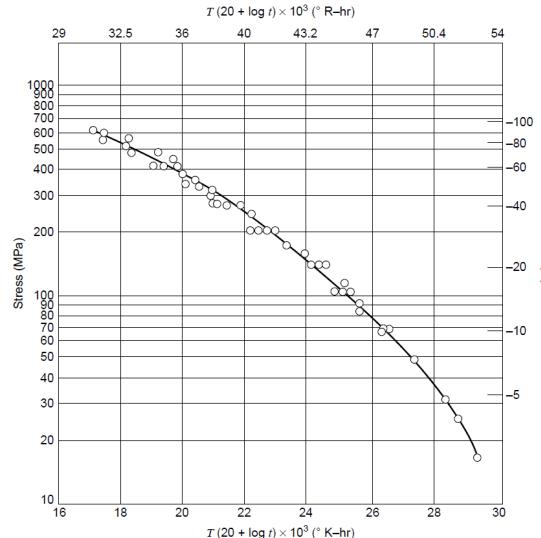
For a specific stress the time to rupture is defined  
(depending on the temperature)



# Creep behavior - Exercise 1

- The service life of turbine blade is on the order of years. A commonly used extrapolation procedure employs the Larson–Miller parameter, defined as:  $LMP = T(C + \log(t))$
- Derive the Larson-Miller relation:  $LMP = T(C + \log(t))$

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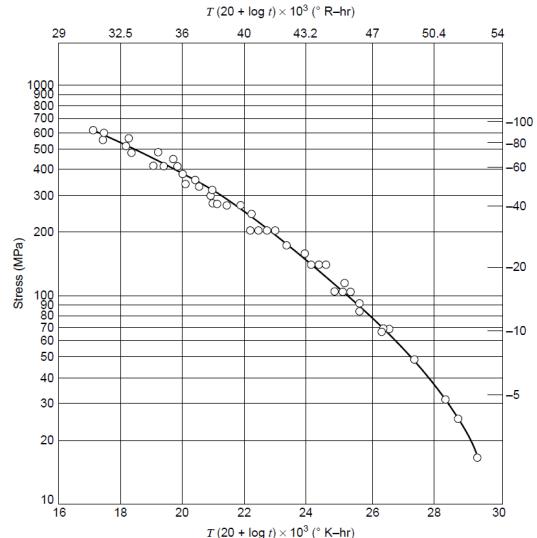
➤  $\dot{\varepsilon} = \frac{1}{t} = A'e^{-\frac{\Delta H}{RT}}$

➤  $\frac{\Delta H}{RT} = (\ln(A') + \ln(t)) = (2.303\log(A') + 2.303\log(t))$

➤  $\frac{\Delta H}{R*2.303} = T(\log(A') + \log(t))$

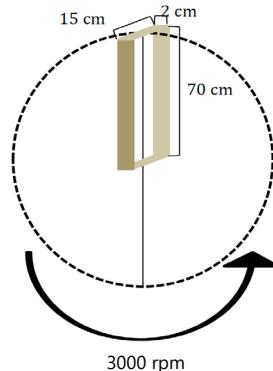
LMP

$C \sim 20$



# Creep behavior - Exercise 1

- A turbine blade for an aircraft is made of CM 247 LC with the composition reported in Table 1 and a density of  $8.54 \text{ g/cm}^3$ . The blade dimensions are  $70*15*2\text{cm}^3$  (Figure 1), the rotation speed is 3000 rpm and the working temperature is 800C.
- Define the centrifugal force and, therefore, the stress to which the blade is subjected during the service assuming a point mass located at the extremity of the blade.



Alloy	Cr	Co	Mo	W	Ta	Nb	Al	Ti	C	B	Zr	Others
CM 247 LC	8.1	9.2	0.5	9.5	3.2		5.6	0.7	0.07	0.01	0.01	1.4 Hf
IN 738 LC	16	8.5	1.7	2.6	1.7	0.9	3	3	0.11	0.01	0.05	
Rene 80	14	9.5	4	4			3	4.8	0.17	0.015	0.03	

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➤  $F_{centr} = m * a$

➤  $v = \omega * R$

➤  $a = v^2/R = \omega^2 * R$

➤  $\omega = (2\pi * rpm)/60$

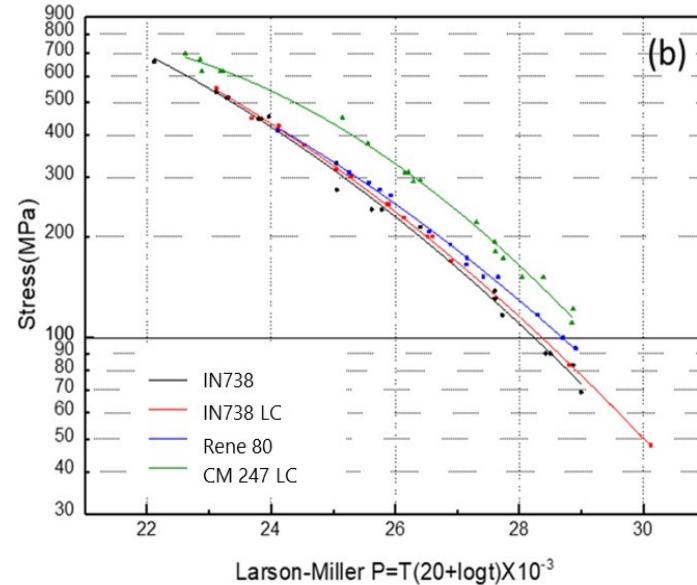
➤  $m = \rho * A * R$

➤  $F_{centr} = \rho * A * R^2 * (2\pi * rpm/60)^2 = 1238 \text{ KN}$

➤  $\sigma_{centr} = \frac{F_{centr}}{A} = 413 \text{ MPa}$

# Creep behavior - Exercise 1

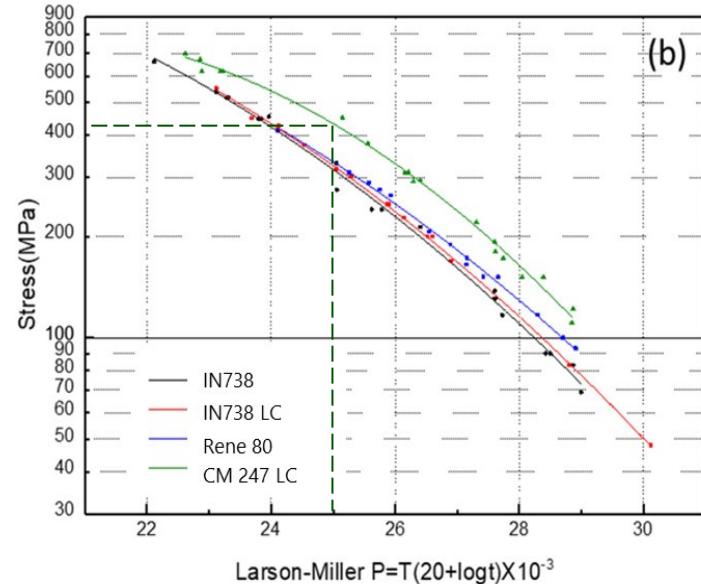
- The service life of turbine blade is on the order of years. A commonly used extrapolation procedure employs the Larson–Miller parameter, defined as:  $LMP = T(C + \log(t))$
- Using the Larson-Miller diagram in Figure 2, define the lifetime of the blade of point a.



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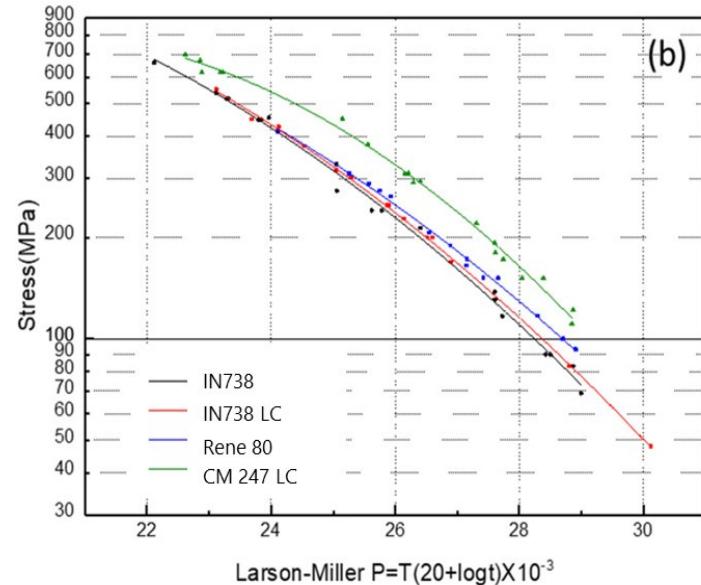
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- $LMP = T(C + \log(t))$
- $25 = 1073(20 + \log(t)) * 10^{-3} \rightarrow t = 1995h$



# Creep behavior - Exercise 1

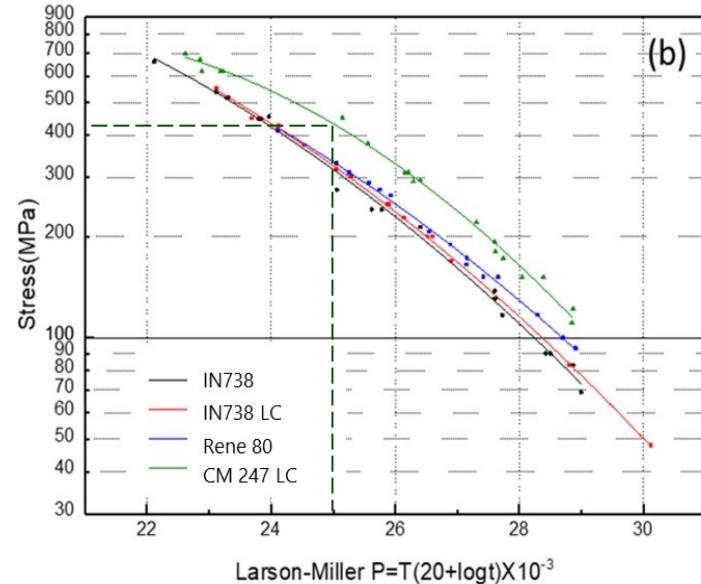
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- Define the variation of the time to rupture if the working temperature decreases to 750C (3000 rpm)



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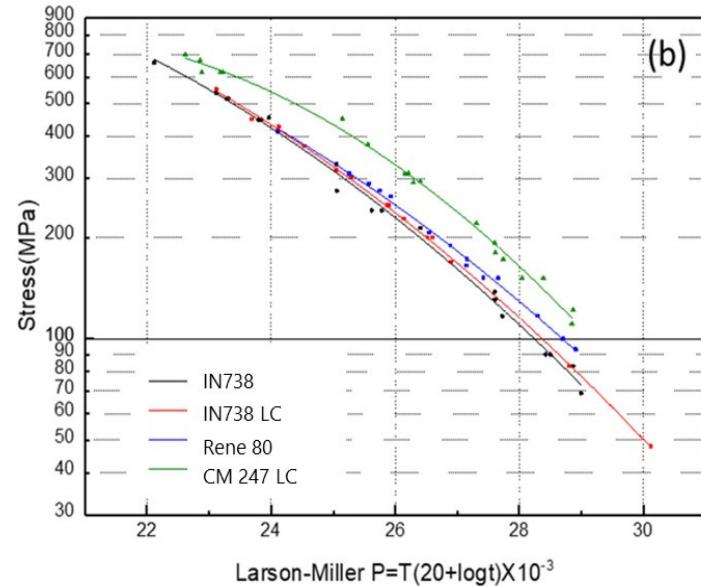
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- Define the variation of the time to rupture if the working temperature decreases to 750C (3000 rpm)

- $LMP = T(C + \log(t))$
- $25 = 1023(20 + \log(t)) * 10^{-3} \quad t = 27542 \text{ h}$



# Creep behavior - Exercise 1

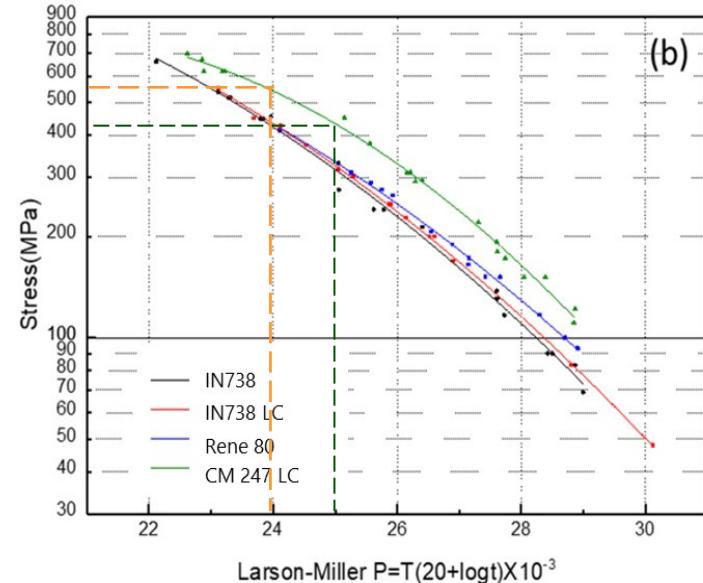
- The service life of turbine blade is on the order of years. A commonly used extrapolation procedure employs the Larson–Miller parameter, defined as:  $LMP = T(C + \log(t))$
- Define the variation of the time to rupture if the rotation speed increases to 3500 rpm (800C)



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- The service life of turbine blade is on the order of years. A commonly used extrapolation procedure employs the Larson–Miller parameter, defined as:  $LMP = T(C + \log(t))$
- Define the variation of the time to rupture if the rotation speed increases to 3500 rpm (800C)

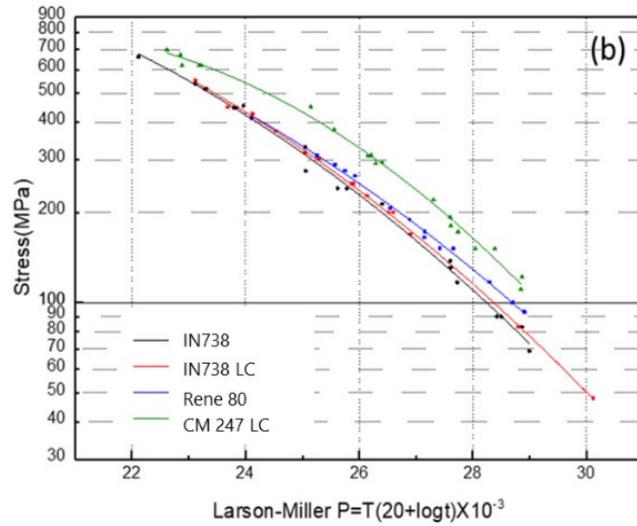
- $F_{centr} = \rho * A * R^2 * (2\pi * rpm/60)^2 = 1685 \text{ KN}$
- $\sigma_{centr} = \frac{F_{centr}}{A} = 562 \text{ MPa}$
- $LMP = T(C + \log(t))$
- $24 = 1073(20 + \log(t)) * 10^{-3} \rightarrow t = 234 \text{ h}$



# Creep behavior - Exercise 1

- Table 1 reports the composition of 4 different Ni-superalloys.
- Explain the variation in the Larson-Miller diagrams observed in Figure 2

➤ CM 247 LC highest creep resistance (longer time to rupture)



$$\text{LMP} = T(C + \log(t))$$

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## Chemical composition:

- Lower Cr, Mo, C → lower formation of undesired TCP phases (brittle)
- Higher Co → lower formation of undesired TCP phases (brittle)
- Higher W → carbide former and solid solution strengthening
- Higher Ta → stabilization  $\gamma'$  and solid solution strengthening
- Higher Al → formation of  $\gamma'$

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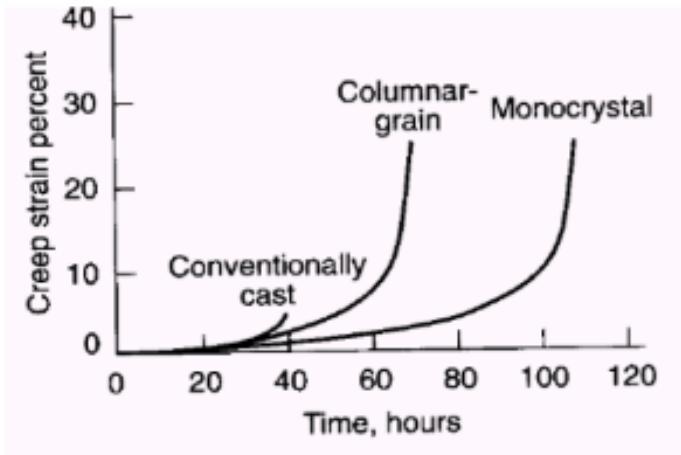
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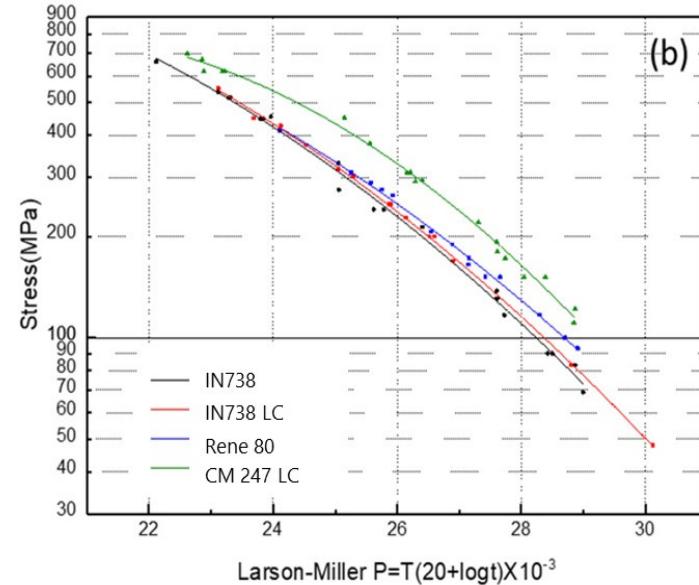
## Fabrication process:

- CM 247 LC → Directionally solidified alloy
- IN 738 LC → Conventionally cast alloy
- Rene 80 → Conventionally cast alloy



# Creep behavior - Exercise 1

- The IN738 is applied for the blade production.
- Define which temperature can be reached in order to achieve the same life time of point a but using the alloy IN738 (rpm: 3000) density 8.11



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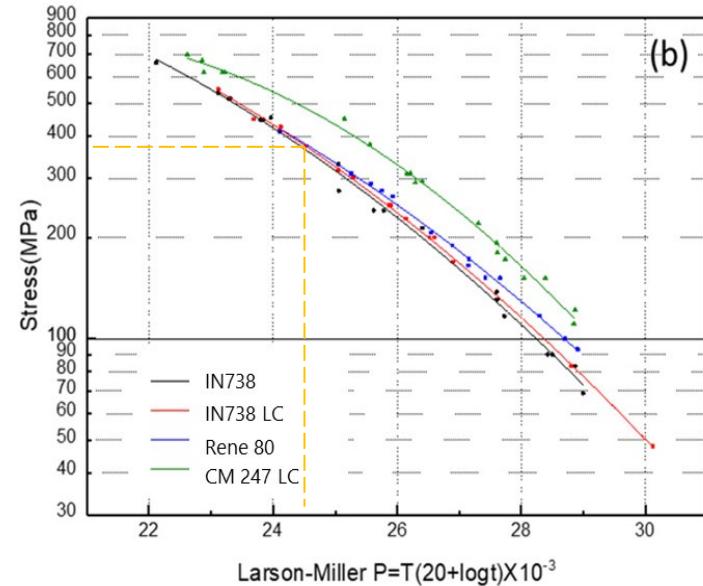
- The IN738 is applied for the blade production.
- Define which temperature can be reached in order to achieve the same life time of point a but using the alloy IN738 (rpm: 3000) density 8.11

➤  $F_{centr} = \rho * A * R^2 * (2\pi * rpm/60)^2 = 1175 \text{ KN}$

➤  $\sigma_{centr} = \frac{F_{centr}}{A} = 392 \text{ MPa}$

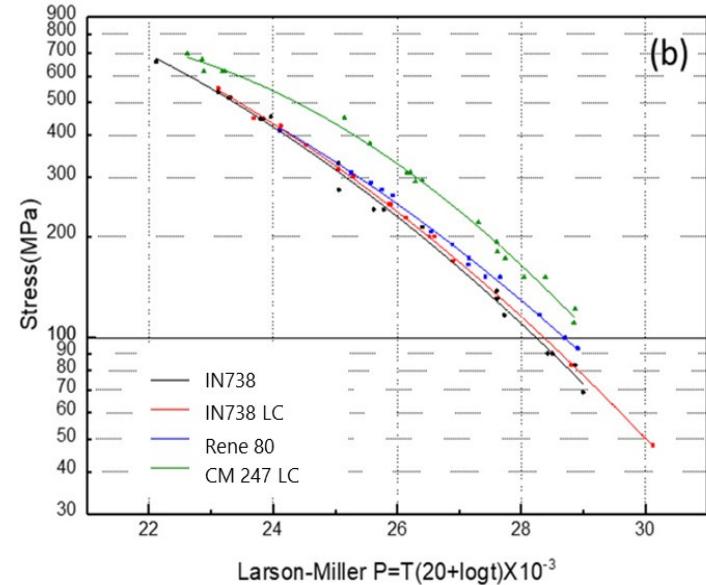
➤  $\text{LMP} = T(C + \log(t))$

➤  $24.5 = T(20 + \log(1995)) * 10^{-3} \rightarrow T = 779C$



# Creep behavior - Exercise 1

- The IN738 is applied for the blade production.
- Define which rotation speed can be reached to achieve the same life time of point a but using the alloy IN738 (800C)



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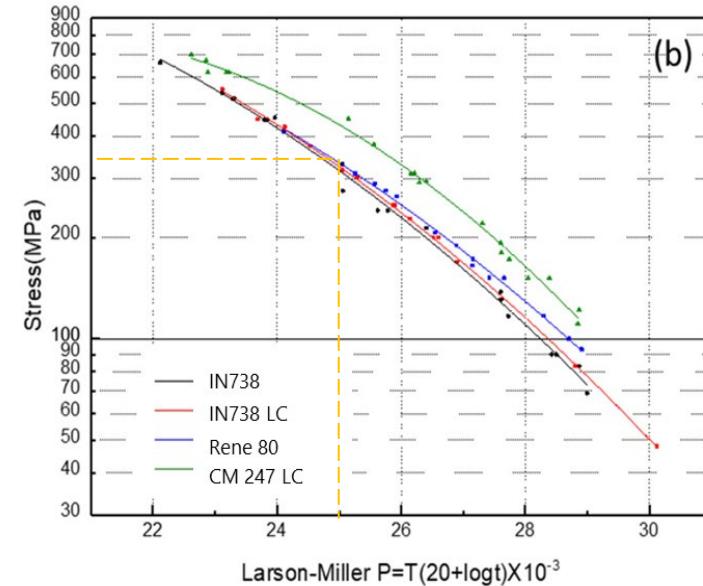
➤  $LMP = 1073(20 + \log(1995)) * 10^{-3}$

→ LMP = 25

→  $\sigma_{centr} = 350 \text{ MPa}$

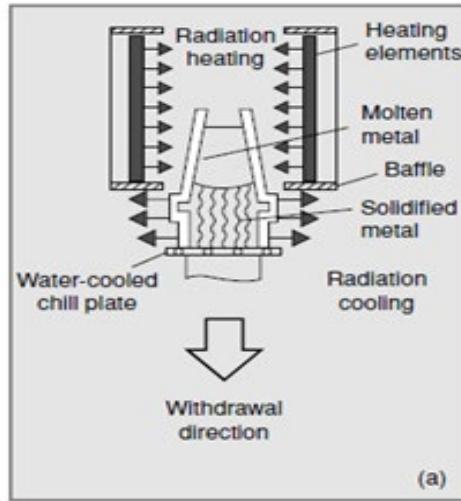
→  $F_{centr} = 350 * A = 1050 \text{ KN}$

➤  $F_{centr} = \rho * A * R^2 * (2\pi * rpm/60)^2 \rightarrow 2835 \text{ rpm}$



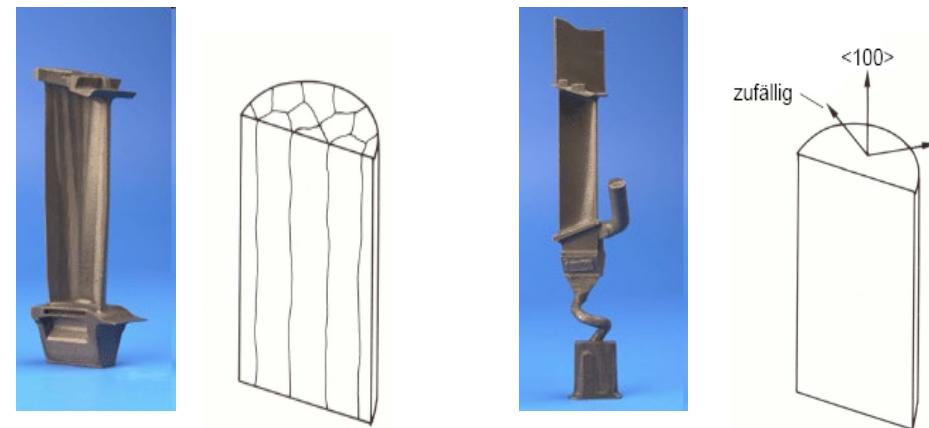
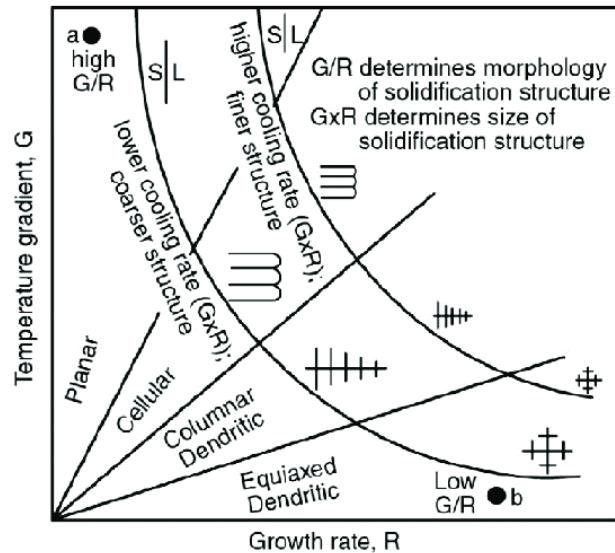
# Single crystal parts

- The furnace consists of an upper melting chamber, a central mold chamber and a lower withdrawal chamber
- Need for careful control of the rate of heat removal from the casting (i.e. removal velocity of the casting from the furnace)
- The maximum withdraw velocity to avoid defects can be calculated



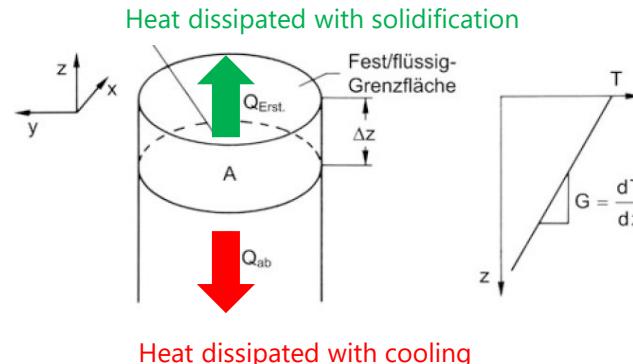
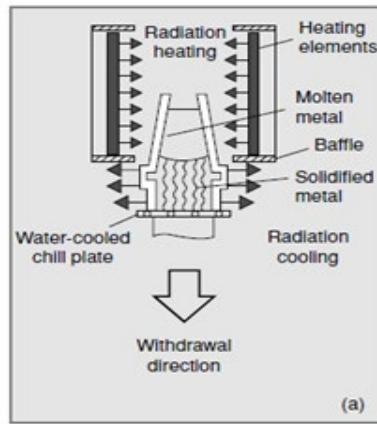
# Single crystal parts

- Constant withdraw velocity of the mold:
- Gradual progress of the solid-liquid interface
- High constant** thermal gradient (2000-4000 K/m) to produce large, elongated grains



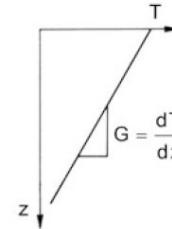
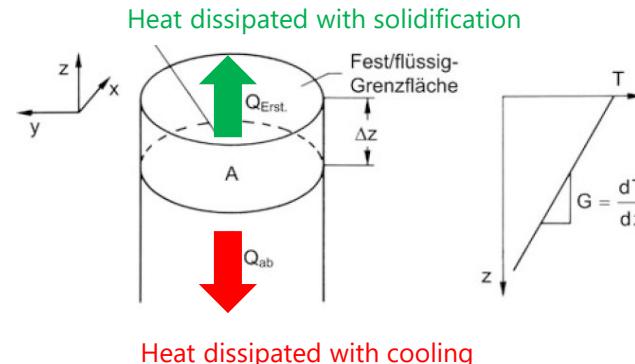
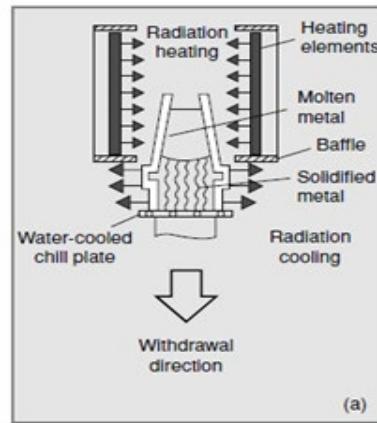
# Single crystal parts – Exercise 2

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$$\dot{q} = \frac{Q_{ab}}{\Delta t * A} = \lambda * G \geq \frac{Q_{Erst.}}{\Delta t * A} = \frac{\Delta H * \Delta m}{\Delta t * A} = \frac{\Delta H * \rho * \Delta V}{\Delta t * A} = \frac{\Delta H * \rho * \Delta z}{\Delta t} = \Delta H * \rho * v$$

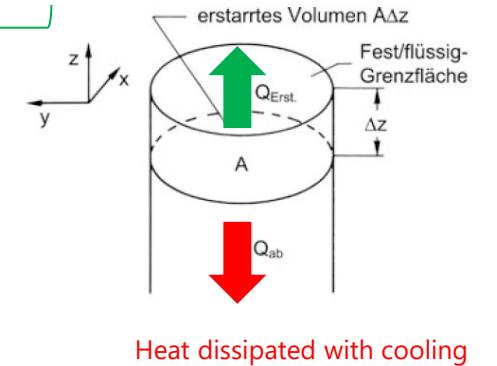
Heat dissipated upon cooling

Heat dissipated due to solidification

Heat dissipated with solidification

$$\lambda * G \geq \Delta H * \rho * v$$

$$v \leq \frac{\lambda}{\Delta H * \rho} * G = 20 \text{ mm/s}$$

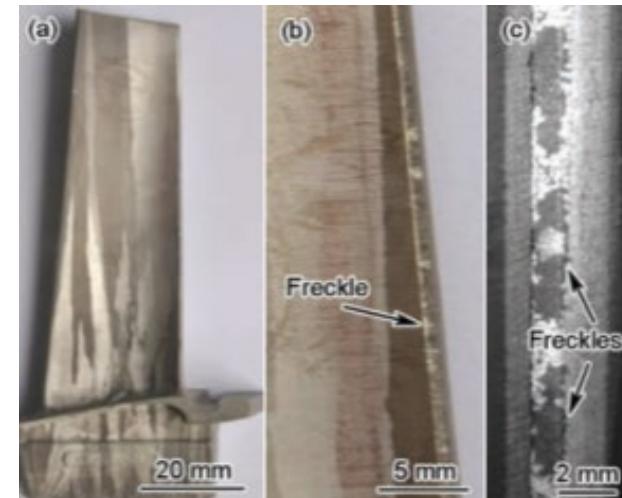


# Single crystal parts - Exercise 2

- What defects may occur in the turbine blade if this withdrawal velocity is exceeded?

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- What defects may occur in the turbine blade if this withdrawal velocity is exceeded?
  - If the velocity is too high, solidification will not finish before the casting leaves the furnace → Temperature gradient also in the radial direction
  - Non-parallel growth of dendrites: High-, low-angle GBs
  - Freckles (equiaxed grains on the side)
  - Globular grains



# Single crystal parts - Exercise 2

- How can the withdrawal velocity be increased to achieve a higher productivity?

# Single crystal parts - Exercise 2

## ■ How can the withdrawal velocity be increased to achieve a higher productivity?

- Liquid metal or gas cooling (LMC): Immersion of the mold into a bath of liquid metal to increase the heat transfer rate
- Higher solidification rate
- Dendrite stem spacing reduction
- Less contact time between the melt and the molding ceramic

